## CG – T2 Introduction to CG

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## the beginning: 2D

1<sup>st</sup> CG displayed 2D graphics (flat lines, circles, polygons)

Simple arcade games: Pong

# Real-time: CG that were animated



#### pong



## lunar lander



1972

1979



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### why and how 3D?

#### 3D has 3 dimensions of meassurement

## width, height and depth





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#### what is this?





#### what is this?



## This is a 2D image of a drawing of a cube



#### 3D computer graphics are actually 2D images on a flat screen

what makes the cube look 3D?



#### 3D computer graphics are actually 2D images on a flat screen

what makes the cube look 3D? is **perspective** or the angle between the lines (illusion)

#### perspective is not enough



what else?



#### perspective is not enough





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Ref. R. S. Wright, et al. OpenGL SuperBible, 5th edition, Addison-Wesley, July 2010

#### perspective is not enough





#### color changes, textures, U. POR Shading, Color intensity....

#### perspective is not enough

#### perception of a 3D image





#### color changes, textures, U. POR Shading, Color intensity....



order is important



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cross product

Vector crossproduct(Vector &v)
{
 Vector vector;
 vector.x = (y \* v.z) - (z \* v.y);
 vector.y = (z \* v.x) - (x \* v.z);
 vector.z = (x \* v.y) - (y \* v.x);
 return vector;



 $\begin{pmatrix} a_{x} \\ a_{y} \\ c \end{pmatrix} \times \begin{pmatrix} b_{x} \\ b_{y} \\ b \end{pmatrix} = \begin{pmatrix} a_{y}b_{z} - b_{y}a_{z} \\ a_{z}b_{x} - b_{z}a_{x} \\ c h - h a \end{pmatrix}$ 

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#### the plane equation

A plane is defined as:

- > a set of points perpendicular to a normal vector n = (a,b,c)
- > that also contains the point P0=(x0,y0,z0)
- > if a point P lies on the plane, then vector v=P-P0 also lies on the plane

a(x-x0)+b(y-y0)+c(z-z0)=0

> then n.v=0 (dot product)
 n.v => (x \* v.x)+(y \* v.y)+(z \* v.z);





 $A.B = ||A|| ||B|| \cos \theta$ 

more about vectors

#### magnitude (length):

|a| = sqrt((ax \* ax) + (ay \* ay) + (az \* az))

#### unit Vector – normalization

- 1 calculate its length, then,
- 2 divide each of its (xyz) components by its length.

x = ax/|a| y = ay/|a| z = az/|a|

#### Values between [0,1]

magnitued = sqrt(9 + 1 + 4) = 3.742

x = 3.0 / 3.742 = **0.802** y = 1.0 / 3.742 = **0.267** z = 2.0 / 3.742 = **0.534** 

CG 12/13 - T2 – Introduction to CG http://www.fundza.com/vectors/normalize/index.html

vertex: 3D point in space

transformation matrix: move vertex around in space

**projection matrix:** turn 3D coordinates into 2D screen coordinates

**transforming** points around and creating lines between them we create the 3D illusion

rasterization: drawing or filling the

vertex



wireframe



#### rasterization:



## filling with colors



**Shading:** varing the color values across the surface (between vertices). Create the <u>effect</u> of <u>light shining</u> on a red cube





**texture mapping:** a picture that we map to the surface of a triangle or polygon. A texture can simulate an effect that could take thousands of triangles.





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**blending:** allows mixing different colors together. e.g. create reflections.





#### everything comes together

#### transformation + shading + texture + blending



## Summary

- We will try create the illusion of a 3D world using a 2D screen
- Humans mentally build their 3D illusion based on two 2D images (but now we only have one...)
- We need maths
- We need structure: transformation, shading, texture, blending